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From Fermi liquid to strange metal



Charge carrier concentration

Key question: What distinguishes the strange metal phase from a Fermi liquid? **Optical experiments:** Frequency dependence of the conductivity is a valuable source of information on collective response.

How do you measure the optical response?



Metals, insulators and spontaneous symmetry breaking

X. Feng et al. PRB 104, 165134 (2021) J. Groefsema et al. PRM 6, 115402 (2022) E. van Heumen et al. PRB 106, 054515 (2022)



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Broken symmetry states



Naive picture of CDW formation

Broken symmetry states



Naive picture of CDW formation

Momentum (π/a)

Probing the condensate through causality



The condensate density in VSe₂



X. Feng et al. PRB 104, 165134 (2021)

From Fermi liquid to strange metal



Charge carrier concentration

Key question: What distinguishes the strange metal phase from a Fermi liquid? **Optical experiments:** Frequency dependence of the conductivity is a valuable source of information on collective response.

First Question

• Is there a hint of a critical doping near 0.2 holes/Cu in optics?



S.-D. Chen et al., Science **366**, 1099 (2019). Badoux et al. Nature 531, 210 (2016) (also Legros Nature Phys 15, 142 Michon Nature 567, 218 (2019))

Putzke et al., Nature Phys 17, 826 (2021) Ayres et al., Nature 595, 661 (2021)

cuprate superconductors: One or two components?

single component

quasi-particles residual interactions (energy dependent) lifetime broadening



two (or more) components

no quasi-particles (residual) interactions mid-infrared bands lifetime broadening

$$\sigma(\omega, T) = \sigma_a(\omega, T) + \sigma_b(\omega, T)$$



State of the art over the years



D. van der Marel et al., Physica C, 176 (1991)

S. Uchida, et al., Phys. Rev. B 43, 7942 (1991) D. van der Marel, et al. Nature 425, 271 (2003)

The ideal choice: $Bi_{2-x}Pb_xSr_{2-y}La_yCuO_{6+\delta}$

The material of choice: single layer Bi2201

- One CuO₂ layer per unit cell.
- Low critical temperature (T_{c,max} = 35 K)
- Good cleavage surface





The optical response of cuprates



- Substitution to ω = 0 consistent with $ρ_{DC}$.
- Two components in the 'intraband' optical response.
- Crossover regime around 0.1 eV

$$\sigma_1(\omega) = \frac{\omega_p^2}{4\pi} \frac{\Gamma}{\Gamma^2 + \omega^2}$$

van Heumen et al. Phys. Rev. B 106, 054515 (2022)



Component 2: a high energy powerlaw



At high energy |σ| follows a powerlaw behaviour.

 $\sigma(\omega) \sim 1/(i\omega)^{\alpha}$

Should be accompanied by a constant phase angle.

Marel, D. van der et al. Nature 425, 271 (2003)

Component 2: doping dependence of the phase angle



A two-component model

To get ahead we assume:

$$\hat{\sigma}(\omega) = \hat{\sigma}^{D}(\omega) + \hat{\sigma}^{inc.}(\omega)$$
The Drude is easy:

$$\hat{\sigma}^{D}(\omega) = \frac{D_{Dr}}{4\pi} \frac{1}{\Gamma_{Dr} + i\omega}$$

$$\stackrel{\tilde{\varsigma}_{0}}{\underset{\sigma}{3}} \stackrel{\tilde{\varsigma}_{0}}{\underset{\sigma}{3}} \stackrel{\tilde$$

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The Drude is easy:

$$\hat{\sigma}^{D}(\omega) = \frac{D_{Dr}}{4\pi} \frac{1}{\Gamma_{Dr} + i\omega}$$

$$\hat{\sigma}^{inc.}(\omega) = \frac{-iD_{inc}\omega}{\sqrt{\Delta^{2} - \omega^{2} - i\Gamma_{inc}\omega^{\beta}}}$$

$$\hat{\sigma}^{inc.}(\omega) = \frac{-iD_{inc}\omega}{\sqrt{\Delta^{2} - \omega^{2} - i\Gamma_{inc}\omega^{\beta}}}$$

van Heumen et al. Phys. Rev. B 106, 054515 (2022)

Generalized interband transitions



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A two-component model

To get ahead we assume:

$$\hat{\sigma}(\omega) = \hat{\sigma}^{D}(\omega) + \hat{\sigma}^{inc.}(\omega)$$
The Drude is easy:

$$\hat{\sigma}^{D}(\omega) = \frac{D_{Dr}}{4\pi} \frac{1}{\Gamma_{Dr} + i\omega}$$

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van Heumen et al. Phys. Rev. B 106, 054515 (2022)

Doping dependence of carrier density



Michon et al. Phys. Rev. Research 3, 043125 (2021)

The current relaxation rate

Within our error bars, Γ is frequency independent.



The MIR component: a 'strange' continuum



van Heumen et al. Phys. Rev. B 106, 054515 (2022)

The MIR component: a 'strange' continuum



van Heumen et al. Phys. Rev. B 106, 054515 (2022)

Summary

Optical response has a Drude and mid-infrared response.

- Low energy Drude response:
 - Spectral weight is doping but not temperature dependent.
 - Scattering rate is doping and temperature dependent.
 - No divergencies/anomalies in either.

- 0
- The mid-infrared response
 - Spectral weight is not doping/temperature dependent.
 - Broadening is doping dependent.

incoherent response persists to strongly overdoped regime!

Optics and normal state transport agree. The puzzle is low T/high B!